

Matrices & Vectors: (Please save in a file called m_v.m)

1. a) Generate a vector a that starts at 0, has increments of 0.3 and ends at 2.1
1. b) Generate a vector b, with uniformly spaced elements, that starts at 0 ends at 5 having **exactly** 100 elements.

2.

Store the two matrices as follows: $c = \begin{bmatrix} 2 & -4 & 5 \\ -3 & 5 & 7 \\ 5 & 3 & -8 \end{bmatrix}$ $d = \begin{bmatrix} 36 & 80 \\ 7 & 120 \\ -31 & 0 \end{bmatrix}$

- a. Calculate $c*d$, $c.*d$ where for the second multiplication use only the first two columns of c. Explain the difference between the multiplications. Do the second multiplication by extracting the columns... you need to find out how to do this!
- b. Calculate $\exp(c)$.
- c. Solve the matrix equation $c*x = \begin{bmatrix} 36 \\ 7 \\ -31 \end{bmatrix}$ using the \backslash operator (which will be discussed in class today) and column extraction on d.
- d. Calculate the dot product of row 2 of c and column 2 of d and then dividing by the element in row 1 column 3 of c, again by extracting the value.

Plotting: (Please save in a file called plot1.m, plot2.m and plot3.m)

- 1: Plot cosine as a function of the degree from -360 degrees to 360 degrees:
 - i. Use grid on figure
 - ii. Label the x axis with the title Degrees
 - iii. Label the y axis with the title Cos(x)
 - iv. Caution!!! Be careful of what cos takes as input
2. Plot $y_1 = \ln(x)$ and $y_2 = \ln(2x)$ for $[-1, 4]$ together on one graph with:
 - i. Y1 as a solid line
 - ii. Y2 as a dotted line
 - iii. Label x axis as x
 - iv. Label y axis as magnitude
 - v. Use grid on
 - vi. Place a title of Natural Logarithm Plot
 - vii. Have legends showing which graph is which
3. Plot the discrete-time function $y = \sin(2\pi*n/11)$ for n from 0 to 11 using stem(y) and grid on.

4. Explain in detail each part of the following command; act as if you needed to explain what this command does to someone who has never seen a computer.

```
fprintf('x(%i)=%20.16e\n',i,x)
```

this line is from Newton.m

Loops and Structures: *****Caution** be sure to properly initialize a values properly where need be, namely before entering any loop...

Create a function named QuadRoots(a,b,c) that takes in the 3 coefficients of ax^2+bx+c and uses the if, else if structure to display a message stating the type of roots as well as calculating the roots and showing them. *** For bonus provide a plot with all labels and find a way to label the roots right where the root is located.

2. Create a function BuildVect(n,k,N) that “builds a vector” of the form

$[n^2, n^3, (n+k)^2, (n+k)^3, (n+2k)^2, (n+2k)^3, \dots, (n+Nk)^2, (n+Nk)^3]$

For the values $n=2, k=2, N=3$.

** Note: you will need to learn how to augment vectors

3. Generate a script that determine the smallest non-negative integer n that satisfies the equation $2^n \geq 2300$.

- i. Create a function called PowerOf2(N) that returns the value.
- ii. Use a while loop